My dear Bliss,

I am extremely glad to hear from you, and especially to hear that all is going so well.

I am glad you asked me about rectifying the binomial distribution so as to equalise the variance, as this can be very neatly done for large samples. If p is the percentage killed and q the survivers, then if you let  $p = \sin^2 \varphi$ ,  $q = \cos^2 \varphi$ , and  $\varphi$  changes from 0 to 90° as percentage mortality increases from 0 to 100.

The amount of information respecting **p** is known to be Ip  $\frac{\mathbf{p}}{\mathbf{p}} = \frac{\mathbf{p}}{\mathbf{sin}^2 \cos^2 \varphi}$ Then  $\mathbf{I}_{\varphi} = \mathbf{I}_{\mathbf{p}} \cdot \left(\frac{\mathbf{dp}}{\mathbf{d\varphi}}\right)^2$   $\frac{\mathbf{dp}}{\mathbf{d\varphi}} = 2\sin \varphi \cos \varphi$ so  $\mathbf{I}_{\varphi} = 4\mathbf{n}$ 

which is independent of  $\varphi$ . This is generally useful for giving an automatic weighting such as is wanted in the analysis of variance.

Miss Simpson will lok after your offprints,
if they come here. I hope to give your messages to Crozier,
and to mention the possibility of your revisiting the country
to anyone else likely to be able to give you a hand.

I am enclosing a photograph, but whether good or not you must judge for yourself.

With the best of luck,

Yours sincerely,